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## 1. Introduction

- Distributional disparities of students in poverty exist within school districts
- Race-based student assignment plans are being invalidated
- Some school districts are moving to class-based student assignment plans without research into their effect on academic achievement

## 2. Design And Methodology

- Tried to get data from several large metropolitan school districts in the Midwest
- Analyzed 17,571 8th-graders from the 1988 National Education Longitudinal Study (NELS) base year database
- HLM - a “new” statistical model

## 3. Results

- After statistically controlling for all of the other student- and school-level demographic factors in the study...
  - individual poverty has a negative effect on student achievement
  - school poverty has a negative effect on student achievement
  - school poverty level has an equalizing effect on the poverty-achievement slope

## 4. So What?

- Surprisingly, not a lot of large-scale research into effects of poverty on academic achievement
  - this adds to the paltry research base
- Three solutions all appear to have serious shortcomings
  - increased resource allocation
  - class-based intra-district student assignment plans
  - class-based inter-district student assignment plans

## 5. Questions?

## Full Hierarchical Linear Model for All Academic Subject Areas

$$Y_{ij} = \beta_{0j} + \beta_{1j}(\text{SES}_{ij}) + \beta_{2j}(\text{Sex}_{ij}) + \beta_{3j}(\text{Minority}_{ij}) + \beta_{4j}(\text{LEP}_{ij}) + r_{ij}$$

$Y_{ij}$  = achievement score for student  $i$  in school  $j$   
 [Y = mathematics, reading, science, or social studies]

$\beta_{0j}$  = expected school achievement score (i.e., the school mean)  
 [there is a separate  $\beta_{0j}$  for each of the  $j$  schools]

$\beta_{pj}$  = expected change in the achievement score ( $Y_{ij}$ ) for a unit change in  $X$   
 (i.e., the expected  $X$ -achievement slope)  
 [X = SES, sex, minority status, or LEP status]

$r_{ij}$  = unique random effect (i.e., the residual error) for student  $i$  in school  $j$  on the achievement score ( $Y_{ij}$ )

$$\beta_{0j} = \gamma_{00} + \gamma_{01}(\% \text{ Free Lunch}_j) + \gamma_{02}(\% \text{ Minority}_j) + \gamma_{03}(\text{School Size}_j) \\ + \gamma_{04}(\text{Student-Teacher Ratio}_j) + \gamma_{05}(\text{Urban}_j) + \gamma_{06}(\text{Rural}_j) + \mu_{0j}$$

$\gamma_{00}$  = expected achievement score for all schools (i.e., the grand mean)

$\gamma_{0j}$  = change in the expected school achievement score ( $\beta_{0j}$ ) for a unit change in  $W$   
 [W = % free lunch, % minority, school size, student-teacher ratio, urban, or rural]

$\mu_{0j}$  = unique random effect of school  $j$  on the expected school achievement score ( $\beta_{0j}$ ) after controlling for all  $W$  predictor variables

$$\beta_{pj} = \gamma_{p0} + \gamma_{p1}(\% \text{ Free Lunch}_j) + \gamma_{p2}(\% \text{ Minority}_j) + \gamma_{p3}(\text{School Size}_j) \\ + \gamma_{p4}(\text{Student-Teacher Ratio}_j) + \gamma_{p5}(\text{Urban}_j) + \gamma_{p6}(\text{Rural}_j) + \mu_{pj}$$

$\gamma_{p0}$  = expected (i.e., mean)  $X$ -achievement slope across schools  
 [X = SES, sex, minority status, or LEP status]

$\gamma_{pj}$  = change in the expected  $X$ -achievement slope ( $\beta_{pj}$ ) for a unit change in  $W$   
 [X = SES, sex, minority status, or LEP status; W = % free lunch, % minority, school size, student-teacher ratio, urban, or rural]

$\mu_{pj}$  = unique random effect of school  $j$  on the expected  $X$ -achievement slope ( $\beta_{pj}$ )  
 [X = SES, sex, minority status, or LEP status] after controlling for all  $W$  predictor variables

**Significant Effects in Full HLM Models for All Academic Subject Areas  
(N = 17,571 students in 783 schools)<sup>a</sup>**

Fixed Effects <sup>b</sup>	Outcome Variables			
	Mathematics	Reading	Science	Social Studies
<i>Model for school means</i>				
Intercept ( $\gamma_{00}$ )	-0.08 ***	-0.04 **	-0.05 **	-0.06 ***
% Free lunch in school ( $\gamma_{01}$ )	-0.13 ***	-0.07 ***	-0.08 ***	-0.07 ***
% Minority in 8th grade ( $\gamma_{02}$ )	-0.04 *	-0.05 **	-0.08 ***	-0.07 **
School size ( $\gamma_{03}$ )				
Student-teacher ratio ( $\gamma_{04}$ )			-0.03 *	-0.03 *
Urban ( $\gamma_{05}$ )				
Rural ( $\gamma_{06}$ )			0.09 *	
<i>Model for SES-Achievement Slopes</i>				
Intercept ( $\gamma_{10}$ )	0.32 ***	0.31 ***	0.29 ***	0.31 ***
% Free lunch in school ( $\gamma_{11}$ )	-0.07 ***	-0.04 **	-0.05 ***	-0.04 **
% Minority in 8th grade ( $\gamma_{12}$ )			-0.05 **	-0.03 *
School size ( $\gamma_{13}$ )	0.04 **	0.03 *		0.06 ***
Student-teacher ratio ( $\gamma_{14}$ )				
Urban ( $\gamma_{15}$ )				
Rural ( $\gamma_{16}$ )				0.05 *
<i>Model for Sex-Achievement Slopes</i>				
Intercept ( $\gamma_{20}$ )		0.24 ***	-0.12 ***	-0.08 ***
% Free lunch in school ( $\gamma_{21}$ )				
% Minority in 8th grade ( $\gamma_{22}$ )				
School size ( $\gamma_{23}$ )				
Student-teacher ratio ( $\gamma_{24}$ )				
Urban ( $\gamma_{25}$ )				
Rural ( $\gamma_{26}$ )			0.09 *	
<i>Model for Minority Status-Achievement Slopes<sup>c</sup></i>				
Intercept ( $\gamma_{30}$ )	-0.32 ***	-0.30 ***	-0.32 ***	-0.29 ***
% Free lunch in school ( $\gamma_{31}$ )	0.06 *			
% Minority in 8th grade ( $\gamma_{32}$ )				
School size ( $\gamma_{33}$ )	0.08 **	0.08 **	0.13 ***	0.12 **
Student-teacher ratio ( $\gamma_{34}$ )				
Urban ( $\gamma_{35}$ )	-0.17 *		-0.22 **	-0.17 *
Rural ( $\gamma_{36}$ )			-0.11 *	

\* p < .05; \*\* p < .01; \*\*\* p < .001

<sup>a</sup> Although the sample sizes listed are unweighted, all statistics were computed using both the NELS student- and school-level weights.

<sup>b</sup> The HLM results presented here include adjustment for the four within-school variables. The model for the LEP-achievement slopes is not included in this table because LEP was used as a fixed parameter (i.e., it was not allowed to vary randomly between schools).

<sup>c</sup> Students were considered minorities if they were not White or Asian-American / Pacific Islander.